Formulas and functions

Introduction to R

None

Matrix algebra

Matrix multiplication:

$$\mathbf{AB} = \begin{bmatrix} a_{11} & a_{12} & a_{13} \\ a_{21} & a_{22} & a_{23} \end{bmatrix} \begin{bmatrix} b_{11} & b_{12} \\ b_{21} & b_{22} \\ b_{31} & b_{32} \end{bmatrix} = \begin{bmatrix} a_{11}b_{11} + a_{12}b_{21} + a_{13}b_{31} & a_{11}b_{12} + a_{12}b_{22} + a_{13}b_{32} \\ a_{21}b_{11} + a_{22}b_{21} + a_{23}b_{31} & a_{21}b_{12} + a_{22}b_{22} + a_{23}b_{32} \end{bmatrix}$$

- Inverse: For $\mathbf{A} = \begin{bmatrix} a_{11} & a_{12} \\ a_{21} & a_{22} \end{bmatrix}$, $\mathbf{A}^{-1} = \frac{1}{a_{11}a_{22} a_{12}a_{21}} \begin{bmatrix} a_{22} & -a_{12} \\ -a_{21} & a_{11} \end{bmatrix}$
- Trace: $tr(\mathbf{A}) = \sum_{i=1}^{p} a_{ii} = a_{11} + a_{22} + ... + a_{pp}$
- Determinant of 2×2 : $\begin{bmatrix} a_{11} & a_{12} \\ a_{21} & a_{22} \end{bmatrix} = a_{11}a_{22} a_{12}a_{21}$
- Eigenvalues: Roots of the polynomial equation $|\mathbf{A} \lambda \mathbf{I}| = 0$ where **I** is an identity matrix
- Eigenvectors: Each eigenvalue of **A** has a corresponding nonzero vector **b** that satisfies **Ab** = λ **b**
- For eigenvalues λ_i of **A**: $tr(\mathbf{A}) = \sum_{i=1}^p \lambda_i$ and $\left| \mathbf{A} \right| = \prod_{i=1}^p \lambda_i = \lambda_1 \lambda_2 \cdots \lambda_p$
- Quadratic formula: The roots of the equation $ax^2 + bx + c = 0$ are $\frac{-b \pm \sqrt{b^2 4ac}}{2a}$
- Vector length: $\sqrt{\sum_{i=1}^{p} a_i^2}$
- Positive definite matrices have all eigenvalues greater than 0 and positive semidefinite matrices are the same but with at least one eigenvalue equal to 0

Data, distributions, and correlation

•
$$\rho_{ij} = \frac{\sigma_{ij}}{\sqrt{\sigma_{ii}\sigma_{jj}}} = \frac{\text{Cov}(x_i, x_j)}{\sqrt{\text{Var}(x_i)\text{Var}(x_j)}}$$

•
$$\mu = E(\mathbf{x}) = \begin{bmatrix} E(x_1) \\ \vdots \\ E(x_p) \end{bmatrix} = \begin{bmatrix} \mu_1 \\ \vdots \\ \mu_p \end{bmatrix}$$

$$\bullet \quad \Sigma = \text{Cov}(\mathbf{x}) = \text{E}[(\mathbf{x} - \boldsymbol{\mu})(\mathbf{x} - \boldsymbol{\mu})'] = \begin{bmatrix} \sigma_{11} & \sigma_{12} & \cdots & \sigma_{1p} \\ \sigma_{21} & \sigma_{22} & \cdots & \sigma_{2p} \\ \vdots & \vdots & \ddots & \vdots \\ \sigma_{p1} & \sigma_{p2} & \cdots & \sigma_{pp} \end{bmatrix}$$

 $\bullet \quad \Sigma = \mathsf{E}(\mathbf{x}\mathbf{x}') - \mu\mu'$

•
$$\mathbf{P} = \mathbf{Corr}(\mathbf{x}) = \begin{bmatrix} 1 & \rho_{12} & \cdots & \rho_{1p} \\ \rho_{21} & 1 & \cdots & \rho_{2p} \\ \vdots & \vdots & \ddots & \vdots \\ \rho_{p1} & \rho_{p2} & \cdots & 1 \end{bmatrix}$$

Multivariate normal distribution, $\mathbf{x} \sim N_p(\boldsymbol{\mu}, \boldsymbol{\Sigma})$: $f(\mathbf{x} \mid \boldsymbol{\mu}, \boldsymbol{\Sigma}) = \frac{1}{(2\pi)^{p/2} |\boldsymbol{\Sigma}|^{1/2}} e^{-\frac{1}{2} \left[(\mathbf{x} - \boldsymbol{\mu})^{\boldsymbol{\Sigma}} \boldsymbol{\Sigma}^{-1} (\mathbf{x} - \boldsymbol{\mu}) \right]}$ for $-\infty < x_i < \infty$,

i=1,...,p, and $|\Sigma|>0$

$$\bullet \quad \hat{\boldsymbol{\mu}} = \frac{1}{N} \sum_{r=1}^{N} \boldsymbol{x}_r = \frac{1}{N} \big(\boldsymbol{x}_1 + \boldsymbol{x}_2 + ... + \boldsymbol{x}_N \big)$$

$$\bullet \quad \hat{\Sigma} = \frac{1}{N-1} \sum_{r=1}^{N} (\mathbf{x}_r - \hat{\boldsymbol{\mu}}) (\mathbf{x}_r - \hat{\boldsymbol{\mu}})'$$

•
$$\hat{\sigma}_{ij} = \widehat{Cov}(x_i, x_j) = \frac{1}{N-1} \sum_{r=1}^{N} (x_{ri} - \overline{x}_i)(x_{rj} - \overline{x}_j)$$

$$\bullet \quad r_{ij} = \widehat{Corr}(x_i, x_j) = \frac{\hat{\sigma}_{ij}}{\sqrt{\hat{\sigma}_{ii}\hat{\sigma}_{jj}}} = \frac{\frac{1}{N-1}\sum\limits_{r=1}^{N}(x_{ri} - \overline{x}_i)(x_{rj} - \overline{x}_j)}{\sqrt{\left[\frac{1}{N-1}\sum\limits_{r=1}^{N}(x_{ri} - \overline{x}_i)^2\right]\left[\frac{1}{N-1}\sum\limits_{r=1}^{N}(x_{rj} - \overline{x}_j)^2\right]}} = \frac{\sum\limits_{r=1}^{N}(x_{ri} - \overline{x}_i)(x_{rj} - \overline{x}_j)}{\sqrt{\left[\sum\limits_{r=1}^{N}(x_{ri} - \overline{x}_i)^2\right]\left[\sum\limits_{r=1}^{N}(x_{rj} - \overline{x}_j)^2\right]}}$$

•
$$\mathbf{R} = \begin{bmatrix} 1 & r_{12} & \cdots & r_{1p} \\ r_{21} & 1 & \cdots & r_{2p} \\ \vdots & \vdots & \ddots & \vdots \\ r_{p1} & r_{p2} & \cdots & 1 \end{bmatrix}$$

Graphics

None

- **<u>PCA</u>** $y_i = a'_i(x \mu)$ for j = 1, ..., p
- Total variance: $tr(\Sigma) = \sum_{i=1}^{p} \sigma_{ii} = \sigma_{11} + \sigma_{22} + ... + \sigma_{pp}$
- $\hat{\mathbf{v}}_i = \hat{\mathbf{a}}_i'(\mathbf{x} \hat{\mathbf{\mu}})$ for j = 1, ..., p
- $\hat{\mathbf{y}}_{rj}^* = \hat{\mathbf{a}}_i^* \mathbf{z}_r$ and $\hat{\mathbf{y}}_{rj} = \hat{\mathbf{a}}_j' (\mathbf{x}_r \hat{\boldsymbol{\mu}})$ for j = 1, ..., p and r = 1, ..., N

- $\begin{array}{l} \underline{\textbf{FA}} \\ \bullet \quad x_j = \mu_j + \lambda_{j1}f_1 + \lambda_{j2}f_2 + \ldots + \lambda_{jm}f_m + \eta_j \text{ for } j = 1, \ldots, p \\ \bullet \quad \tilde{\textbf{X}}_j = \lambda_{j1}f_1 + \lambda_{j2}f_2 + \ldots + \lambda_{jm}f_m + \eta_j \text{ for } j = 1, \ldots, p; \quad \tilde{\textbf{x}} = \underset{p \times m}{\textbf{\Lambda}} \underbrace{\textbf{f}}_{p \times m} + \underset{p \times 1}{\textbf{\eta}} \\ \end{array}$
- $z_j = \lambda_{j1}f_1 + \lambda_{j2}f_2 + ... + \lambda_{jm}f_m + \eta_j$ for j = 1, ..., p; $\mathbf{z} = \Lambda \mathbf{f} + \eta_{p \times 1} \mathbf{f$
- $Var(ay_1+by_2) = a^2Var(y_1) + b^2Var(y_2) + 2abCov(y_1,y_2)$

- $\Sigma = \Lambda \Lambda' + \psi$; $Var(x_j) = \sum_{k=1}^{m} \lambda_{jk}^2 + \psi_j$ and $Cov(x_j, x_{j'}) = \sum_{k=1}^{m} \lambda_{jk} \lambda_{j'k}$
- With standardized variables, $\mathbf{P} = \Lambda \Lambda' + \psi$, $\sum_{k=1}^{m} \lambda_{jk}^2 + \psi_j = 1$, and $Corr(z_j, f_k) = \lambda_{jk}$
- LRT: A = $(N-1-(2p+4m+5)/6)\log\left(\frac{|\hat{\Lambda}\hat{\Lambda}'+\hat{\Psi}|}{|I(N-1)/N|\hat{\Sigma}|}\right)$ can be approximated by $\chi^2_{[(p-m)^2-p-m]/2}$
- AIC: $-2\log(L(\tilde{\mathbf{x}} \mid \hat{\Lambda}, \hat{\Psi})) + 2(\text{degrees of freedom for model})$
- Orthogonal matrix: Individual columns within a matrix are orthogonal to each other
- $\mathbf{B}_{p\times m} = \mathbf{\Lambda}_{p\times m} \mathbf{T}_{m\times m}$
- $V = \frac{1}{p^2} \sum_{q=1}^{m} \left(p \sum_{j=1}^{p} \frac{b_{jq}^4}{h_i^4} \left(\sum_{j=1}^{p} \frac{b_{jq}^2}{h_i^2} \right)^2 \right) \text{ where } h_j^2 = \sum_{k=1}^{m} \lambda_{jk}^2$
- Bartlett's method (a.k.a., weighted least-squares method): $\hat{\mathbf{f}}_r = (\hat{\boldsymbol{\Lambda}}'\hat{\Psi}^{-1}\hat{\boldsymbol{\Lambda}})^{-1}\hat{\boldsymbol{\Lambda}}'\hat{\Psi}^{-1}\mathbf{z}_r$
- Thompson's method (a.k.a., regression method): $\hat{\mathbf{f}}_r = \hat{\Lambda}'(\hat{\Lambda}\hat{\Lambda}' + \hat{\Psi})^{-1}\mathbf{z}_r$

CA

- $\bullet \quad d_{rs} = \left[\left(\mathbf{x}_r \mathbf{x}_s \right)' \left(\mathbf{x}_r \mathbf{x}_s \right) \right]^{1/2}$
- $\bullet \quad d_{rs} = \left[\left(\mathbf{z}_r \mathbf{z}_s \right)' \left(\mathbf{z}_r \mathbf{z}_s \right) \right]^{1/2}$
- $d_{ab} = \frac{1}{1 + 1} (\overline{\mathbf{x}}_a \overline{\mathbf{x}}_b)' (\overline{\mathbf{x}}_a \overline{\mathbf{x}}_b)$

DA

- Choose Π_1 if $L(\mu_1, \Sigma_1 | \mathbf{x}) > L(\mu_2, \Sigma_2 | \mathbf{x})$ and choose Π_2 otherwise
- Suppose $\Sigma_1 = \Sigma_2$. Choose Π_1 if $\mathbf{b}'\mathbf{x} \mathbf{k} > 0$ and choose Π_2 otherwise, where $\mathbf{b} = \Sigma^{-1}(\mu_1 \mu_2)$ and $\mathbf{k} = \Sigma^{-1}(\mu_1 \mu_2)$ $(1/2)(\mu_1-\mu_2)'\Sigma^{-1}(\mu_1+\mu_2)$
- $d_i = (\mathbf{x} \mu_i)' \Sigma^{-1} (\mathbf{x} \mu_i)$
- $P(\Pi_i \mid \mathbf{x}) = \frac{e^{-\frac{1}{2}d_i}}{e^{-\frac{1}{2}d_1} + e^{-\frac{1}{2}d_2}}$
- $\hat{\Sigma} = \frac{(N_1 1)\hat{\Sigma}_1 + (N_2 1)\hat{\Sigma}_2}{N_1 + N_2 2}$
- $p_1*C(2|1)*P(2|1) + p_2*C(1|2)*P(1|2)$ $p_1^* = \frac{p_1C(2|1)}{p_1C(2|1) + p_2C(1|2)}, p_2^* = \frac{p_2C(1|2)}{p_1C(2|1) + p_2C(1|2)}$
- $d_i^{**} = \frac{1}{2}(\mathbf{x} \mathbf{\mu}_i)^{\prime} \Sigma_i^{-1}(\mathbf{x} \mathbf{\mu}_i) + \frac{1}{2} \log(|\Sigma_i|) \log[p_i * C(|\mathbf{i}|)]$

NNC

None

•
$$logit(\pi) = \beta_0 + \beta_1 x_1 + \cdots + \beta_p x_p$$

Multinomial regression

$$\bullet \quad \frac{n!}{\prod\limits_{j=1}^J n_j!} \prod\limits_{j=1}^J \pi_j^{n_j}$$

$$\bullet \quad \prod_{r=1}^N \frac{n_r\,!}{\prod\limits_{i=1}^J n_{ri}\,!} \prod_{j=1}^J \pi_j^{n_{rj}}$$

•
$$\log(\pi_j/\pi_1) = \beta_{j0} + \beta_{j1}x_1 + ... + \beta_{jp}x_p$$
 for $j = 2, ..., J$

$$\bullet \quad \pi_1 = \frac{1}{1 + \sum\limits_{j=2}^J e^{\beta_{j0} + \beta_{j1}x_1 + \dots + \beta_{jp}x_p}} \;, \; \pi_j = \frac{e^{\beta_{j0} + \beta_{j1}x_1 + \dots + \beta_{jp}x_p}}{1 + \sum\limits_{j=2}^J e^{\beta_{j0} + \beta_{j1}x_1 + \dots + \beta_{jp}x_p}} \; \text{ for } j = 2, \, \dots, \, J$$

•
$$logit[P(Y \le j)] = log\left[\frac{P(Y \le j)}{1 - P(Y \le j)}\right] = \beta_{j0} + \beta_1 x_1 + \dots + \beta_p x_p$$

$$\begin{split} \bullet \quad & \pi_1 = \ e^{\beta_{10} + \beta_1 x_1 + \dots + \beta_p x_p} \big/ \big(1 + e^{\beta_{10} + \beta_1 x_1 + \dots + \beta_p x_p} \big), \ \pi_J = \ 1 - e^{\beta_{J-1,0} + \beta_1 x_1 + \dots + \beta_p x_p} \big/ \big(1 + e^{\beta_{J-1,0} + \beta_1 x_1 + \dots + \beta_p x_p} \big), \ \text{and} \\ & \pi_j = \frac{e^{\beta_{j0} + \beta_1 x_1 + \dots + \beta_p x_p}}{1 + e^{\beta_{j0} + \beta_1 x_1 + \dots + \beta_p x_p}} - \frac{e^{\beta_{j-1,0} + \beta_1 x_1 + \dots + \beta_p x_p}}{1 + e^{\beta_{j-1,0} + \beta_1 x_1 + \dots + \beta_p x_p}} \ \text{for} \ j = 2, \ \dots, \ J-1 \end{split}$$

<u>R functions</u> – These functions are listed mostly in the order they were introduced in the notes

Introduction to R

| Function | Description |
|---|--|
| pnorm() | Finds a cumulative probability from a univariate |
| | normal distribution |
| qnorm() | Finds a quantile from a univariate normal |
| | distribution |
| ls() and objects() | List items in R's database |
| c() | Combine items into a vector |
| sd() | Calculate a standard deviation |
| var() | Calculate a variance |
| sqrt() | Calculate a square root |
| read.table(file = | Read in a text data file with variable names in the |
| <pre>"c:\\chris\\datafile.txt",</pre> | first row and spaces separating the variable |
| header = TRUE, sep = "") | names and their values. |
| read.csv(file = | Read in a comma delimited data file. |
| <pre>"c:\\chris\\datafile.csv")</pre> | |
| summary() | Summarize information in a data frame or list |
| head() | Print the first few rows of a data frame |
| <pre>write.table(x = set1, file =</pre> | Save data in a data frame to a file. The data was |
| "C:\\out_file.csv", quote = | in the data frame set1 and it will be written as a |
| FALSE, row.names = | comma delimited file named out file.csv. |
| FALSE, sep=",") | _ |
| plot(x = x, y = y) | Plots y on the y-axis and x on the x-axis |
| $lm(formula = y \sim x, data = set1)$ | Find the sample regression model with the |
| | response (dependent) variable y and explanatory |
| | (independent) variable x within set1 |
| names() | Provide the names of items in a list |
| class() | State the class of an object |
| <pre>dev.new(width = 6, height = 6,</pre> | Opens a new graphics window that is 6"×6" with |
| pointsize = 10) | font size of 10 |
| segments() | Draw a line segment on a plot |
| curve() | Plot a function of x, like $f(x) = x^2$ |
| expression() | Can be used to put Greek letters and |
| | mathematical symbols on a plot |
| axis() | Allows for finer control of an x or y-axis on a plot |
| methods() | List the method or generic functions |

Matrix algebra

| attix digebla | |
|------------------------------------|--|
| Function | Description |
| matrix(data = c(1, 2, 3, 4, 5, 6), | Create a matrix of size 2×3 by row |
| nrow = 2, ncol = 3, byrow = | · |
| TRUE) | |
| t() | Transpose a matrix |
| A+B | Matrix addition for matrices A and B |
| A%*%B | Matrix multiplication for A and B |
| A*B | Elementwise multiplication for A and B |

| cbind() | Combine elements by column |
|---------------|---|
| solve(A) | Find the inverse of A |
| diag(A) | Extract the diagonal elements of A |
| sum(A) | Sum the elements of A |
| det(A) | Determinant of A |
| eigen(A) | Find the eigenvalues and eigenvectors of A |
| abline(h = y) | Plots a horizontal line at y. A vertical line is |
| | plotted with the argument v. |
| arrows() | Draw an arrow on a plot |

Data, distributions, and correlation

| Function | Description |
|---------------|--|
| cov2cor() | Calculate a correlation matrix from a covariance |
| | matrix |
| dmvnorm() | f(x) for a multivariate normal distribution; this is in |
| | the mvtnorm package |
| seq() | Create a sequence of numbers |
| persp3d() | 3D surface plot; this function is in the rgl |
| | package |
| contour() | Contour plot |
| cov() | Calculate estimated covariance matrix |
| cor() | Calculate estimated correlation matrix |
| colMeans() | Find the means of each column in a matrix |
| apply() | Apply a function to every row or column of a |
| | matrix |
| set.seed() | Set a seed number |
| rmvnorm() | Simulate random vectors from a multivariate |
| | normal distribution; this function is in the |
| | mvtnorm package |
| points() | Add points to a plot |
| scale() | Standardize columns of data |
| expand.grid() | Create all possible combinations of items within |
| | separate vectors |
| par() | Graphics parameters; pty = "s" creates a |
| | square plot, $mfrow = c(2,2)$ creates a 2×2 |
| | matrix of plots |

Graphics

| Function | Description |
|---------------------|--|
| pairs() | Side-by-side scatter plots |
| scatterplotMatrix() | Side-by-side scatter plots |
| symbols() | Bubble plot; circles argument specifies the |
| | third variable; inches argument controls the |
| | maximum size of the bubble |
| identify() | Interactively identifies points on a plot |
| text() | Puts text on a plot |

| plot3d() | 3D scatter plot; this function is within the rgl |
|---------------|---|
| | package |
| grid3d() | Put gridlines on a plot created in the rgl package |
| stars() | Star plot |
| parcoord() | Parallel coordinate plot; this function is within the |
| | MASS package |
| reshape() | Changes a data frame from a wide to long format |
| | and vice versa |
| histogram() | Trellis histogram; this function is within the |
| | lattice package |
| xyplot() | Trellis scatter plot; this function is within the |
| | lattice package |
| cloud() | Trellis 3D scatter plot; this function is within the |
| | lattice package |
| equal.count() | Creates shingles for a trellis plot; this function is |
| | within the lattice package |

PCA

| Function | Description |
|-----------------------|--|
| <pre>princomp()</pre> | Performs PCA; cor argument specifies whether |
| | to use the covariance (FALSE) or correlation |
| | (TRUE) matrix |
| summary() | This function can be used to summarize the |
| | information with an object created by |
| | princomp(); the argument values of loadings |
| | = TRUE and cutoff = 0.0 will lead to the |
| | printing of all the values within the eigenvectors |
| screeplot() | Creates a scree plot; this can also be done with |
| | the plot() function |
| predict() | Computes PC scores when using an object |
| | created by princomp(); see my programs for |
| | how to calculate the scores correctly |

FA

| A | |
|------------|--|
| Function | Description |
| factanal() | <pre>Performs FA; the rotation = "varimax"</pre> |
| | argument specifies the varimax rotation method; |
| | the scores argument can be used to specify the |
| | <pre>type of scores ("regression" or "Bartlett")</pre> |
| | to be calculated |
| print() | This function can be used to summarize the |
| | information with an object created by |
| | factanal(); the argument value of cutoff = |
| | 0.0 will lead to the printing of all common factor |
| | loadings |

CA

| Function | Description |
|---------------|---|
| dist() | Calculates distances between observation pairs |
| hclust() | Performs agglomerative clustering |
| plot() | This function can be used with an object created |
| | by hclust() to create a hierarchical tree |
| | diagram |
| palette() | Provides a listing of eight colors corresponding to |
| | the numbers 1, 2,, 8 |
| cutree() | Gives the cluster memberships when used with |
| | an object created by hclust(); the k argument |
| | specifies the number of clusters |
| rect.hclust() | Puts rectangles on a hierarchical tree diagram |
| | corresponding to clusters when used with an |
| | object created by hclust() |
| agnes() | Performs agglomerative clustering |
| kmeans() | Performs K-means clustering |
| aggregate() | Applies a desired function to groups of |
| | observations within a data frame |

DΑ

| Function | Description |
|------------------------------|---|
| lda() | Linear discriminant analysis; use the CV = TRUE |
| | argument for cross-validation; this function is in |
| | the MASS package |
| <pre>predict()</pre> | The corresponding method function calculates |
| | posterior probabilities for resubstitution |
| <pre>summarize.class()</pre> | Calculates the accuracy of the classification |
| | methods; this function is written by your instructor, |
| | and it is available in PlacekickDA.R |
| qda() | Quadratic discriminant analysis; use the cv = |
| | TRUE argument for cross-validation; this function |
| | is in the MASS package |
| rbind() | Combine two or more data frames or matrices by |
| | rows |
| <pre>sample.int()</pre> | Randomly samples integers |

NNC

| Function | Description |
|----------|---|
| knn() | Nearest neighbor classification using |
| | resubstitution; this function is in the class |
| | package |
| knn.cv() | Nearest neighbor classification using cross- |
| | validation; this function is in the class package |

Logistic regression

| ogistic regression | Barrella Cara |
|--------------------|---|
| Function | Description |
| glm() | Estimate a logistic regression model when |
| | family = binomial(link = logit) is |
| | given as an argument |
| Anova() | Perform LRTs; this function is in the car package |
| predict() | The corresponding method function estimates π |
| | when type = "response" is given as an |
| | argument |
| cv() | Calculates the cross-validation estimates of π ; this |
| | function is written by your instructor, and it is |
| | available in PlacekickLogisticReg.R |
| prediction() | Calculates the sensitivity and specificity for a |
| | number of cut-off probabilities; this function is in |
| | the ROCR package |
| performance() | Calculates the x and y-axis items for an ROC |
| | curve when the optional "sens" and "fpr" |
| | argument values are given; this function can also |
| | be used to calculate the area under the ROC |
| | curve by giving an optional "auc" argument value; |
| | this function is in the ROCR package |
| plot() | The corresponding method function plots the |
| | ROC curve; the print.cutoffs.at argument |
| | specifies the specific cut-off probabilities to |
| | include on a plot; this function is in the ROCR |
| | package |
| slotNames() | View components of an S4 object |

Multinomial regression

| Function | Description |
|------------|---|
| multinom() | Estimates a multinomial regression model; this function is in the nnet package |
| predict() | The corresponding method function estimates π_j when type = "probs" is given as an argument, and it gives the classifications when type = "class" is given as an argument |
| cv2() | Calculates the cross-validation estimates of π_j and the corresponding classifications; this function is written by your instructor, and it is available in WheatMultRegNoPlots.R |